# Available online at www.vurup.sk/petroleum-coal <br> Petroleum \& Coal 55 (2) 137-147, 2013 <br> CONVERSION OF DEPLETED OIL RESERVOIRS FOR UNDERGROUND NATURAL GAS STORAGE 

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#### Abstract

The storage of natural gas in depleted oil reservoir was examined with Z-16RS, a depleted oil reservoir located onshore, South-East, Nigeria. The geological information and the production history of the reservoir were gathered, which aided in the computation of the storage capacity at any given pressure of the storage vessel. The plot of well flowing pressure (Pwf) against flow rate (Q), shows the deliverability of the reservoir at various pressures. The study which was primarily, for checking the suitability of the reservoir for underground gas storage shows that the reservoir is fit for such purpose. Two basic requirements in underground storage of natural gas which are: verification of inventory and assurance of deliverability were evaluated for the reservoir. The storage capacity of the reservoir was estimated and the deliverability of the reservoir was also evaluated. The results of the estimated properties show that Z-16RS is a good candidate for conversion into storage reservoir.


Keywords: Natural gas; depleted reservoir; storage; underground; deliverability; injection; pressure; facility.

## 1. I NTRODUCTI ON

Underground natural gas storage acts as the swing capacity due to the seasonal variations in demand. Natural gas is injected into the underground gas reservoirs for the purpose of storage for future use, during the second and third quarters when supply exceeds demand ${ }^{[1]}$.

This injected gas is withdrawn from these reservoirs during the first and fourth quarters when demand is at the peak and exceeds supply.

There are 3 types of reservoirs commonly used for underground gas storage 1) depleted oil/ gas reservoir 2) aquifer and 3) salt cavern, each of the storage reservoirs has very specific producing parameters ${ }^{[2]}$.

### 1.1. Storage in Depleted Oil Reservoirs

This is an underground gas storage that occurs in porous and high deliverability depleted reservoirs, which are close to the consumption centres. The conversion of the oil fields from the production to storage duty takes advantage of the existing wells, gathering systems and pipeline connections. Depleted oil reservoirs are used for underground gas storage due to their wide availability and well known geology. The requirements for each of the reservoirs vary since no two reservoirs are the same, typically these types of reservoirs require $50 \%$ base gas (ie equal amount of working gas) and one cycle per season ${ }^{[3]}$. Figure 1 is a representation of the 3 basic requirements in underground storage of natural gas.

1. Verification of inventory
2. Retention against migration
3. Assurance of deliverability


Fig 1. The three basic requirements in underground gas storage ${ }^{[4]}$.

## 2. Procedures for choosing a candidate well for undergorund

Fig 2 shows a process flow diagram for the conversion of depleted oil/gas reservoir for natural gas storage. The following steps are followed in designing the storage facility.

- Gathering of geological and engineering information
- Assessing the mechanical condition of the well
- Determining the working storage content (storage capacity) of the reservoir
- Consider compression, field lines, and conditioning of the gas


Fig 2. Flow Chart for the Conversion of a Depleted Gas or Oil Reservoir for Natural Gas Storage ${ }^{[2]}$.

In order to find the working storage content of the reservoir, range of pressures used must be selected. The upper pressure selected is based upon the information available,
particularly the mechanical condition of the well. The pressure range also has much to do with the flow capacity of the well.

According to Katz and Tek ${ }^{[4]}$ the most essential features of the underground storage facility to be determined by equation (models) are

- Storage capacity (verification of inventory)
- Quantity to be injected at different pressures
- Storage retention against migration and determination of the amount of leakage
- Assurance of deliverability

The storage container is a porous solid with a cap rock overhead to prevent vertical migration. Water in the storage zone underlies all or part of the gas-filled sand. Wells designated I/W (Injection and Withdrawal) are completed in the storage zone.

Depleted gas reservoirs are prime candidates for conversion to storage. The size of the reservoir is determined by calculations from geological data or from the oil production reservoir pressures. In considering a depleted oil fields, it should be recognized that the gas withdrawal take about 120days in a given year. This requires more wells than used during oil production, and enlarged gathering and injection pipeline system from the well to the central station ${ }^{[5]}$.

A delivery system can be installed to cover the market demand for the year. Some flexibility is needed, since variation in weather causes varying demands. Storage field pipelines may require some period of reduced load in summer for testing

Natural gas is injected into the porous sandstone through the surface facilities during the period when the demand is low and withdrawn for use during the period when the demand for gas is high. For temperate countries the periods correspond to summer and winter periods respectively.

A delivery system is installed to cover the market demand for the year. The typical injection and withdrawal trend in an oil-depleted underground gas storage reservoir is shown in the figure 2 below.


Schematic representafion of natural gas storage.
Fig. 2 Schematic of Natural Gas Storage ${ }^{[1]}$

### 2.1 Determination of reservoir characteristics

### 2.1.1 Inventory Verification (Estimation of Storage Capacity)

To determine the volume of gas to be injected at different pressures of the storage reservoir, pressure is varied for fifteen different cases. At each pressure variation, new reservoir parameters, $B_{o}, B_{g}, R_{s}$ and $R_{p}$ were obtained. Table of values was generated for the plot of gas versus reservoir pressure which represents the volume to be injected at different pressures

The steps for the reservoir engineering calculation of the gas storage capacity of the reservoirs are as determined below. The total cumulative fluid production from depleted crude oil reservoir is given by the sum of the produced oil, dissolved gas, free gas and produced water. This is represented mathematically as:

Total cumulative production $=$ produced oil + dissolved gas + free gas + produced water
The produced oil and dissolved gas are assumed to be produced together as a component given by:

Produced oil + dissolved gas $=N_{p} B_{o}$
The other terms of the RHS of eq 2.1 are defined as
Free gas $=N_{p}\left(R_{p-} R_{s}\right) B_{g i}$
Produced water $=W_{p} B_{w}$
Substituting eqs $2.2,2.3$ and 2.4 into eq 2.1 gives the total cumulative fluid (oil + gas + water) production as:
$\mathrm{P}_{\text {CUM }}=N_{p} B_{o}+N_{p}\left(R_{p-} R_{s}\right) B_{g i}+W_{p} B_{w}$
The total cumulative fluid production is in units of barrels of fluid (bbl) and may be converted to standard cubic feet (scf) using eq 2.6
$1 b b l=5.615 s c f$
For the purpose of underground natural gas storage, the depleted oil/gas reservoir must be reconditioned to contain a volume of gas equal to the volume of total cumulative fluid production ${ }^{[6]}$. This is the amount of natural gas to be injected into the reservoir for storage.

Therefore, the volume of gas to be injected in units of standard cubic feet (scf) into depleted reservoir to fill the space created from withdrawal of oil is given by:

Volume of gas to be injected $=V_{i n j} B_{g i}$
This represents the cumulative production of natural gas from the reservoir. Equating volume of gas injected to total cumulative fluid production to obtain
$V_{i n j} B_{g i}(s c f)=5.615\left(N_{p} B_{o}+N_{p}\left(R_{p-} R_{s}\right) B_{g i}+W_{p} B_{w}\right)$
Dividing through by $\mathrm{B}_{\mathrm{gi}}$
$V_{i n j}(s c f)=5.615\left(N_{p} B_{o} / B_{g i}+N_{p}\left(R_{p-} R_{s}\right)+W_{p} B_{w} / B_{g i}\right)$
Storage capacity of the reservoir at a given pressure represents the amount of gas that can be injected into the storage reservoir at that pressure. It helps in the analysis of reservoir storage economics. It also guides the operator to know when the pressure of the storage vessel is at its maximum capacity for inventory verification. This helps in proper monitoring of injection and withdrawal program.

In estimating the storage capacity of the reservoir, reservoir pressure in psig is converted to pressure in psia using eq 2.10

$$
\begin{equation*}
P(p s i a)=P(p s i g)+14.7 \tag{2.10}
\end{equation*}
$$

The reservoir temperature is also converted to degrees Rankine ( ${ }^{0} \mathrm{R}$ ) as in eq 2.11
${ }^{0} R={ }^{0} F+460$
According to Katz and Lee ${ }^{[7]}$ for the determination of gas compressibility factor, Z , of the natural gas in storage, the pseudo-reduced properties of the gas are used.

The pseudo-reduced properties are pseudo-reduced temperature and pseudo-reduced pressure. The values of $Z$ for natural gas mixtures have been experimentally correlated as functions of pressure, temperature and composition. This correlation is based on the well known Theorem of Corresponding States which states that the ratio of the volume of a particular substance to its volume at its critical point is the same for all substances at the same ratio of absolute pressure to critical pressure, and absolute temperature to critical temperature. This theorem is not completely true but may satisfactorily be applied to compounds of similar molecular structure such as the light paraffins and natural gases. In preparing a correlation for hydrocarbon mixtures, the ratios of actual pressure and temperature to the modal average critical or pseudocritical pressure, ( $P_{p c}$ ) and pseudo-critical temperature, ( $T_{p c}$ ) have been used. These ratios are called pseudo-reduced pressures, $\left(\mathrm{P}_{\mathrm{pr}}\right)$ and pseudo-reduced temperatures, $\left(\mathrm{T}_{\mathrm{pr}}\right)^{[8]}$.

The pseudo-critical pressure and temperature are evaluated using eqs 2.12 and 2.13 resp.
$P_{p c}=709.604-58.718 * S G$
$T_{p c}=170.491-307.344 * S G$
Accordingly, the pseudo-reduced pressure and temperature are determined from eqs 2.14 and 2.15 respectively
$P_{p r}=P / P_{p c}$
$T_{p r}=T / T_{p c}$
The following equations were used to estimate $B_{g}, B_{o}$ and $R_{s}$. The gas formation volume factor is given by eq 2.16 and the oil formation volume factor is given by eq 2.17.

The gas formation volume factor, $B_{g}$, is estimated from eq 2.16
$B_{g}=0.02827 \frac{2 T}{p}$
The oil formation volume factor, $\mathrm{B}_{0}$, is estimated from eq $2.17^{[9]}$.
$B_{0}=1.0+C_{1} R_{s}+(T-520)\left(\frac{A P T}{Y_{g} s}\right)\left[C_{2}+C_{3} R_{s}\right]$
The gas-oil-ratio, $\mathrm{R}_{\mathrm{s}}$, is estimated from eqn $2.18{ }^{[10]}$.
$R_{s}=S G\left[(P / 18.2+1.4) 10^{x}\right]^{1.2048}$
where $S G=$ gas specific gravity, $\gamma_{g s}=$ solution-gas specific gravity
With $x=0.0125 A P I-0.00091(T-460)$
There is no water production, ie $W_{p}=0$, eq 2.9 becomes:
$V_{i n j}=5.615\left[N_{p} B_{o} / B_{g i}+N_{p}\left(R_{p}-R_{s}\right)\right]$
This is the volume of gas required to replace the produced oil. It is also called the working gas capacity.

Eq 2.20 which is the equation for estimating working gas capacity is converted to the equation for total storage capacity by replacing the cumulative production term, $\mathrm{N}_{\mathrm{p}}$ with stock tank oil in place, N .

Volume of gas required to replace the entire producible oil in the reservoir which is the total storage capacity is given below:

$$
\begin{equation*}
V_{\text {total }}=5.615 N\left[B_{o} / B_{g i}+\left(R_{p}-R_{s}\right)\right] \tag{2.21}
\end{equation*}
$$

As stated in this section, the storage capacities at various pressures represent the volume of gas to be injected into the storage reservoir at the various pressures. It guides the operator of the gas storage facility in choosing the initial injection pressure.

A Microsoft Visual Basic Program was developed using eq 2.20, and was used to obtain the volume of gas injected into the reservoirs at various pressures and presented in a table which was used to make a plot of volume of gas injected against Reservoir pressure.

### 2.1.2 Performance and Deliverability of Reservoir

In evaluating the performance of a storage reservoir, a deliverability test (back pressure test) is carried out on the reservoir for the prediction of well flow rate against any pipeline back pressure.

It has been observed that a plot of $\mathrm{P}_{\mathrm{R}}{ }^{2}-\mathrm{P}_{\mathrm{WF}}{ }^{2}$ (difference of the squares of reservoir pressure and well flowing pressure) versus $\mathrm{Q}_{\mathrm{sc}}$ (flow rate at standard condition) yields a straight line on logarithm plot, which represents the reservoir performance curve.

The straight line relationship for a particular well applies throughout the lifetime of the well, as long as the production remains in single phase (gas or liquid). The back-pressure (deliverability) equation as developed by Rawlins and Schellhardt ${ }^{[11]}$ is expressed as:

$$
\begin{equation*}
Q_{s c}=C[\Delta P]^{n} \tag{2.22}
\end{equation*}
$$

Also given as:
$Q_{s c}=C\left[P_{R}{ }^{2}-P_{W F}{ }^{2}\right]^{n}$
C is the reservoir flow coefficient and n is the inverse of the slope of the curve.
By extending the performance curve, the absolute open flow, (AOF) is obtained. Although this AOF does not reflect reality, it does approximate the capacity of the well.

The slope of the plot of $\log \left(P_{R}{ }^{2}-P_{W F}{ }^{2}\right)$ versus $\log Q$ is computed and used to obtain the back-pressure exponent as:
$n=1$ / slope
Also the flow capacity at standard condition is given as:
$Q_{s c}=C\left[P_{R}{ }^{2}-P_{W F}{ }^{2}\right]^{n}$
At $P_{W F}=0$, eq 2.25 reduces to:
$Q_{s c}=C\left[P_{R}{ }^{2}\right]^{n}$
But the reservoir flow coefficient, C is expressed as:
$C=Q /\left[P_{R}{ }^{2}-P_{W F}{ }^{2}\right]^{n}[11]$.
According to Katz and Coats ${ }^{[12]}$ flow tests on individual wells are employed for gas storage obtained as in gas production operations. From gas inventory and/or reservoir pressure measurements plus deliverability data, it is possible to predict the field flow at several stages of the storage cycle.

The performance of storage reservoirs become less predictable during high withdrawal rates due to pressure sinks which develop as a result of heterogeneities. Another problem of continuing interest relates to interference by water reaching the wellbore. The presence of water not only reduces the permeability to gas but also effectively cuts down the bottomhole pressure drawdown available for gas flow due to increased density of well fluid. For aquifers, water interference problems are likely to subside as the gas bubbles thickens with growth in stored gas. Each reservoir and set of wells must be tested to give assurance for future years with regard to which well will have water intrusion at a given stage of the withdrawal cycle. Deliverability of storage wells after several years of repetitive use decreases as a result of sandface contamination. For the purpose of this work, a duration of eight years of running the gas storage reservoir was assumed.

In gas storage reservoirs, injection pressures of approximately $0.55 \mathrm{psi} / \mathrm{ft}$ are often used, but pressures as high as $0.7 \mathrm{psi} / \mathrm{ft}$ have been used. In other words, an approximate injection rate can be estimated using the relationship below ${ }^{[12]}$.
$P_{\text {inj }}=I_{\text {rate }} / h k$
A Microsoft Visual Basic Program was developed using eq 2.23, and was used to obtain the deliverabilities of the depleted reservoirs, Q (MMscf/d) at different well flowing pressures, $\mathrm{P}_{\mathrm{wf}}$ (psig) and presented in a table which was used to make a plot of $\mathrm{P}_{\mathrm{wf}}$ against Q .

## 3. Results

### 3.1. Estimation of Storage Capacity of Reservoir Z-16RS

The storage capacity of $Z-16 R S$ is evaluated below. From Table 3, the discovery pressure of this reservoir is 3000 pounds per square inch gauge (psig).

From eqs 2.10 and 2.11, Discovery pressure, $P=3000$ psig $=3000+14.7=3014.7$ psia and reservoir temperature, $\mathrm{T}=200^{\circ} \mathrm{F}=200+460=660^{\circ} \mathrm{R}$
Table 3 Reservoir and Fluid Data for Reservoir Z-16RS

| Parameter | value |
| :--- | :---: |
| Discovery pressure, P | 3000 psig |
| Reservoir temperature, T | $200^{\circ} \mathrm{f}$ |
| Stock tank oil initial in place, N | 0.7714 MMstb |
| Cumulative oil produced, $\mathrm{N}_{\mathrm{p}}$ | 0.3857 MMstb |
| Initial oil formation volume factor, $\mathrm{B}_{\mathrm{oi}}$ | 1.319 |
| Specific gravity, SG | 0.9 |
| Thickness, h | 44 ft |
| Porosity, $\varnothing$ | 0.25 |
| Initial oil water saturation | $20 \%$ |
| Density | $8.141 \mathrm{lb} / \mathrm{cu} . \mathrm{ft}$ |
| Well depth, D | 9000 ft |
| Remaining gas in formation | 4.43 Bscf |
| Oil API gravity | $26^{\circ} \mathrm{API}$ |
| Solution-gas specific gravity | 0.91 |

Substituting the appropriate values of data in eqs 2.12 to 2.15 , the values of $P_{p c}, T_{p c}, P_{p r}$ and $\mathrm{T}_{\mathrm{pr}}$ are determined as indicated below:
$P_{p c}=709.604-58.718 * 0.9=656.8 \mathrm{psia}$
$T_{p c}=170.491+307.344 * 0.9=447.1^{\circ} \mathrm{R}$
$\mathrm{P}_{\mathrm{pr}}=3014.7 \mathrm{psia} / 656.8 \mathrm{psia}=4.59$
$T_{p r}=660 / 447.1=1.48$
Compressibility factor, $Z$ is indicated in [13]. At pseudo-reduced pressure of 4.59 and pseudo-reduced temperature of 1.48 compressibility factor becomes, $Z$ at $(4.59 ; 1.48)=0.78$

At the pressure of 3000 psig, the cumulative oil production, $N_{p}$ is 0.3857 MMstb. Substituting the values of $Z, T$ and $P$ into eq 2.16, we obtain: $B_{g}=0.02827^{*} 0.78 * 660 / 3000$ $=0.004851 ; C_{1}, C_{2}$ and $C_{3}$ are obtained from Table 3.2.

Table 3 Values for the Coefficient $\mathrm{C}_{1}, \mathrm{C}_{2}$ and $\mathrm{C}_{3}{ }^{[9]}$

| Coefficient | $\mathrm{API} \leq 30$ | $\mathrm{API}>30$ |
| :---: | :---: | :---: |
| $\mathrm{C}_{1}$ | $4.677 \times 10^{-4}$ | $4.670 \times 10^{-4}$ |
| $\mathrm{C}_{2}$ | $1.751 \times 10^{-5}$ | $1.100 \times 10^{-5}$ |
| $\mathrm{C}_{3}$ | $-1.811 \times 10^{-8}$ | $1.337 \times 10^{-9}$ |

From eq $2.17, \mathrm{~B}_{0}=1.0+4.677 * 10^{-4} * 633.95+(660-520)(26 / 0.91)\left(1.751 * 10^{-5}+\right.$
$\left.\left(-1.811 * 10^{-8} * 633.95\right)\right)=1.319$ while from Table 3 , API $=26$ and $T=200^{\circ} \mathrm{f}$ which is $660^{\circ} \mathrm{R}$
Substituting the values of API and $T$ into eq $2.19 ; x=0.143$
From eq $2.18, R_{s}=0.9\left[(3000 / 18.2+1.4) 10^{0.143}\right]^{1.2048}=633.9512$ and $R_{p}=3180$
Substituting the values of all the parameters in eq 2.20 gives:
$\mathrm{V}_{\mathrm{inj}}=5.615 * 0.3857 * 10^{6}$ [1.319/0.004851 + [3180-633.95]] $=6.1$ Bscf
The value of $N_{p}$ is gotten from Table 3 as 0.3857 MMstb. $N$ is the stock tank oil in place and it is given as 0.7714 MMstb in Table 3
From eq 2.21, $\mathrm{V}_{\text {total }}=5.615 * 0.7714 * 10^{6}[1.319 / 0.004851+[3180-633.95]]=12.20$ Bscf \% storage volume $=6.1 \mathrm{Bscf} / 12.2$ Bscf $* 100=50 \%$
From the calculation above, Working gas capacity = 6.1 Bscf; Total storage capacity = $\mathbf{1 2 . 2}$ Bscf

### 3.2 The volume of gas injected into reservoir $\mathbf{Z}$-16RS at various pressures

At 3000 psig, the estimated values for gas formation volume factor, $B_{g}$, oil formation volume factor, $B_{0}$, gas-oil-ratio, $R_{s}$ and $R_{p}$ are $0.004851,1.319,633.95$ and 3180 respectively. At 3000 psig, the cumulative oil production, $N_{p}$ is 0.3857 MMstb. Therefore, the volume of gas that can be injected at this pressure is 6.1 Bscf as evaluated above.

At 2854 psig, similar calculations are performed to estimate $B_{g}, B_{0}, R_{s}$ and $R_{p}$ as follows:
From eqn 2.16, $\mathrm{B}_{\mathrm{g}}=0.02827^{*} 0.78 * 660 / 2854=0.005099$
From eqn 2.18, $\mathrm{R}_{\mathrm{s}}=0.9\left[(2854 / 18.2+1.4) 10^{0.143}\right]^{1.2048}=597.278$
From eqn 2.17, $\mathrm{B}_{0}=1.0+4.677 * 10^{-4} * 597.278+(660-520)(26 / 0.9)\left(1.751 * 10^{-5}+\right.$ $\left.\left(-1.811 * 10^{-8} * 597.278\right)\right)=1.3048 ; \mathrm{R}_{\mathrm{p}}=3460$ and $\mathrm{N}_{\mathrm{p}}=0.5957 \mathrm{MMstb}$

From equation 2.20, the volume of gas that can be injected at 2854 psig is
$\mathrm{V}_{\mathrm{inj}}=5.615 * 0.5957 * 10^{6}[1.305 / 0.005099+(3460-597.278)]=11.04$ Bscf
At 2769 psig, $\mathrm{N}_{\mathrm{p}}=0.7043$ MMstb, $\mathrm{B}_{\mathrm{o}}=1.296387, \mathrm{R}_{\mathrm{p}}=3960, \mathrm{R}_{\mathrm{s}}=576.1006$ and $\mathrm{B}_{\mathrm{g}}=$ 0.005256 , the volume of gas that can be injected is:
$\mathrm{V}_{\mathrm{inj}}=5.615 * 0.704$ [1.2964/0.005256 + (3960-576.1006)] $=15.56$ Bscf
The storage capacities at various pressures of Reservoir Z-16RS were determined using Microsoft Visual Basic Program. The volume of gas that can be injected at various reservoir pressures are presented in Table 4 which is used to obtain the plot of the storage capacities at various injection pressures as shown in Fig 3.
Table 4 Vol. of gas injected at various pressures of Reservoir Z-16RS

| P <br> $(\mathrm{psig})$ | Np <br> $(\mathrm{MMstb})$ | $\mathrm{B}_{\mathrm{g}}$ <br> $(\mathrm{scf} / \mathrm{scf})$ | Bo <br> $(\mathrm{rb} / \mathrm{stb})$ | Rs <br> $(\mathrm{scf} / \mathrm{rb})$ | $\mathrm{R}_{\mathrm{p}}$ <br> $(\mathrm{scf} / \mathrm{rb})$ | Vinj <br> $(\mathrm{Bscf})$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 3000 | 0.385699 | 0.004851 | 1.319455 | 633.9512 | 3180 | 6.103024642 |
| 2854 | 0.595726 | 0.005099 | 1.304832 | 597.278 | 3460 | 10.96538814 |
| 2769 | 0.704363 | 0.005256 | 1.296387 | 576.1006 | 3960 | 15.55671766 |
| 2693 | 0.907035 | 0.005404 | 1.288882 | 557.2769 | 4940 | 26.21895271 |
| 2619 | 1.511843 | 0.005557 | 1.281614 | 539.0518 | 6020 | 55.53911222 |
| 2542 | 2.127159 | 0.005725 | 1.274097 | 520.1984 | 9310 | 127.0378934 |
| 2500 | 2.454853 | 0.005821 | 1.270015 | 509.9632 | 11840 | 191.0164923 |
| 2467 | 2.963669 | 0.005899 | 1.266819 | 501.9457 | 12080 | 238.6428146 |
| 2427 | 3.356545 | 0.005996 | 1.262955 | 492.2566 | 14760 | 337.2974746 |
| 2237 | 3.700801 | 0.006506 | 1.244782 | 446.6822 | 15440 | 423.1610534 |
| 2145 | 4.286732 | 0.006785 | 1.236093 | 424.8908 | 16900 | 560.7567656 |
| 2057 | 4.774711 | 0.007075 | 1.227852 | 404.2231 | 18760 | 724.5082584 |
| 1950 | 5.308994 | 0.007463 | 1.217927 | 379.3336 | 20030 | 908.6939062 |
| 1842 | 5.786465 | 0.007901 | 1.208021 | 354.4901 | 22880 | 1200.071872 |
| 1712 | 6.413535 | 0.008501 | 1.196252 | 324.9753 | 23000 | 1439.790901 |
| 1042 | 6.80748 | 0.013967 | 1.138724 | 180.7019 | 23140 | 2535.641012 |



Fig 3 Volume of gas to be injected into reservoir Z-16RS at various pressures Evaluation of the Deliverability of Reservoir Z-16RS at Given Well Flowing Pressure

To evaluate the performance of reservoir Z-16RS, the performance history was generated from the production data given in Appendix A. 4 of Anyadiegwu (2012) ${ }^{[2]}$ and the slope of the performance curve;
Log ( $P_{R}{ }^{2}-P_{W F}{ }^{2}$ ) versus Log $Q$ shown in Fig 3.3 is obtained as 0.92
From equation 3.24; $n=1.000 / 0.92=1.087 ;$ From equation $2.28, \mathrm{C}=0.0340$
Then from equation $2.23, \mathrm{Q}_{\mathrm{sc}}=16635.19 \mathrm{MMscf} / \mathrm{yr}=45.576 \mathrm{MMscf} / \mathrm{d}$ which is the AOF Values of $\mathrm{Q}, \mathrm{P}_{\mathrm{R}}$ and $\mathrm{P}_{\mathrm{WF}}$ were chosen from the Appendix A. 6 at $8^{\text {th }}$ year of operating the storage vessel as stated by Anyadiegwu, (2012) ${ }^{[2]}$ and substituted into eq 2.27.


Fig 4 Plot of Log $\left(P_{R}{ }^{2}-P_{w f}{ }^{2}\right)$ VS Log Q for Reservoir Z -16RS
Following the reservoir performance of reservoir Z-16RS, the back pressure exponent, $n$, is $1.087, \mathrm{C}=0.0340$ and the $\mathrm{AOF}=38.29 \mathrm{MMscf} / \mathrm{d}$

The deliverability of reservoir Z-16RS at reservoir pressure of 3000 psig and at a given well flowing pressure is calculated from eqn 2.23,
$\mathrm{Q}=\mathrm{C}\left[\mathrm{P}_{\mathrm{R}}{ }^{2}-\mathrm{P}_{\mathrm{WF}}{ }^{2}\right]^{\mathrm{n}}$
In the equation, Q is the deliverability in $\mathrm{MMscf} / \mathrm{yr}$.

At $P_{w f}$ of 2900 psig, $Q=0.0340\left[3000^{2}-2900^{2}\right]^{1.087}$
Q = 63737.50 MMscf/yr
Then Q in MMscf/d = 63737.50 MMscf/yr $/ 365=174.62 \mathrm{MMscf} / \mathrm{d}$
The deliverability of Z-16RS was also evaluated using Microsoft Visual Basic Program.
The deliverabilities of reservoir Z-16RS at various withdrawal pressures are presented in Table 5 which is used to obtain the plot of the deliverabilities at various well flowing pressures as shown in Fig 5.
Table 5 Deliverability of Reservoir Z-16RS

| $\mathrm{P}_{\mathrm{wf}}$ <br> $(\mathrm{psig})$ | $\mathrm{P}_{\mathrm{wf}}{ }^{2}$ <br> $\left(\mathrm{psig}^{2}\right)$ | $\mathrm{P}_{\mathrm{R}}{ }^{2}-\mathrm{P}_{\mathrm{wF}}{ }^{2}$ <br> $\left(\mathrm{psig}^{2}\right)$ | Q <br> $(\mathrm{MMscf} / \mathrm{yr})$ | Q <br> $(\mathrm{MMscf} / \mathrm{d})$ |
| :---: | :---: | :---: | :---: | :---: |
| 2900 | 8410000 | 590000 | 63737.50422 | 174.6232992 |
| 2816 | 7929856 | 1070144 | 121753.8242 | 333.5721212 |
| 2795 | 7812025 | 1187975 | 136393.7449 | 373.6814927 |
| 2730 | 7452900 | 1547100 | 181754.5965 | 497.9577986 |
| 2655 | 7049025 | 1950975 | 233874.3102 | 640.7515349 |
| 2579 | 6651241 | 2348759 | 286141.1512 | 783.9483594 |
| 2501 | 6255001 | 2744999 | 338980.1583 | 928.7127625 |
| 2432 | 5914624 | 3085376 | 384907.8944 | 1054.542176 |
| 2300 | 5290000 | 3710000 | 470314.4874 | 1288.532842 |
| 2105 | 4431025 | 4568975 | 589796.1493 | 1615.879861 |
| 1982 | 3928324 | 5071676 | 660660.8912 | 1810.029839 |
| 1801 | 3610000 | 5390000 | 705855.6653 | 1933.851138 |
| 1722 | 3437316 | 5562684 | 730471.1171 | 2001.290732 |
| 1600 | 3359889 | 5640111 | 741529.7745 | 2031.588423 |
| 1550 | 3316041 | 5683959 | 747798.3199 | 2048.76252 |
| 1500 | 3225616 | 5774384 | 760738.8066 | 2084.215908 |
| 1311 | 3171961 | 5828039 | 768425.5904 | 2105.27559 |
| 1100 | 3111696 | 5888304 | 777066.6852 | 2128.949822 |
| 900 | 3062500 | 5937500 | 784126.3619 | 2148.291402 |
| 567 | 2999824 | 6000176 | 793127.8018 | 2172.952882 |



Fig. 5 A Plot of Well Flowing Pressure versus Deliverability

## 4. Conclusion

At the end of this study, it has shown that in developing depleted oil reservoirs for underground gas storage, three basic requirements were considered and evaluated, they include storage capacity estimation, amount of leakage determination and evaluation of deliverability. From the analysis of the storage capacity of reservoir Z-16RS and evaluation of deliverability of reservoir Z-16RS, it is shown that reservoir Z-16RS is if developed, suitable for underground natural gas storage.

## Nomenclature

| API | American Petroleum Institute | Psia | Pounds per square inch (atmospheric) |
| :---: | :---: | :---: | :---: |
| Bbl | Barrel | Psig | Pounds per square inch (gauge) |
| $\mathrm{B}_{0}$ | Oil formation volume factor | $\mathrm{P}_{\mathrm{wf}}$ | Well flowing pressure |
| $\mathrm{B}_{\mathrm{g}}$ | Gas formation volume factor | Q | Flow rate |
| Bscf | Billion standard cubic foot | $\mathrm{Q}_{\text {sc }}$ | Flow rate at standard condition |
| $\mathrm{B}_{\mathrm{w}}$ | Water formation factor | $\mathrm{R}_{\text {s }}$ | Gas solubility |
| C | Reservoir flow coefficient | $\mathrm{R}_{\mathrm{p}}$ | Gas-oil-ratio |
| MMSTB | Million stock tank barrel | Scf | Standard cubic foot |
| MMscf | Million standard cubic foot | SG | Specific gravity |
| N | Back-pressure exponent | $\mathrm{T}_{\mathrm{pc}}$ | Pseudo-critical temperature |
| N | Stock tank oil-in-place | Tpr | Pseudo-reduced temperature |
| $\mathrm{N}_{\mathrm{p}}$ | Cumulative oil production | $\mathrm{V}_{\text {inj }}$ | Volume of gas injected |
| $\mathrm{P}_{\mathrm{pc}}$ | Pseudo-critical pressure | Z | Gas compressibility factor |
| $\mathrm{P}_{\mathrm{pr}}$ | Pseudo-reduced pressure | ${ }^{0} \mathrm{~F}$ | Degree Fahrenheit |
| $\mathrm{P}_{\mathrm{r}}$ | Reservoir pressure | ${ }^{0} \mathrm{R}$ | Degree Rankine |

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